## Votka and String

Votka loves string very much. Recently he learned prefixes and suffixes. A prefix of a string $S$ is any leading contagious part of $S$ and a suffix of string $S$ is any trailing contagious part of $S$, e.g., the prefixes of string "abc" are \{ "a", "ab", "abc" \} and the suffixes are \{ "abc", "bc", "c" \} . Votka considers a suffix $\mathrm{S}_{\mathrm{i}}$ of string S beautiful, if $S_{i}$ has at least b prefixes which are also prefixes of $S$. Formally,
let, $P=$ the set of prefixes of the string $S$
$P_{i}=$ the set of prefixes of the suffix $S_{i}$ Then, $S_{i}$ is a beautiful suffix if $\left|P \cap P_{i}\right| \geq b$.
For example, consider $S=$ "abcabcd" and $b=3$, then suffix $S_{3}$ i.e. "abcd" is a beautiful suffix because it has $3(\geq b)$ prefixes $\{$ "a", "ab", "abc" \} which are also prefixes of $S$. Note that, $S$ itself is a beautiful suffix for all b $\leq|S|$.
Now Votka thinks about a problem. The problem is, you are given a string $S$ and $m$ numbers $\left\{K_{1}, K_{2}, \ldots\right.$, $\left.K_{m}\right\}$. For each number $K_{i}$, you have to find the number of beautiful suffixes of $S$ considering $b=K_{i}$. Votka announces that he will give a treat to the first solver of this problem. Luffy, a close friend of Votka, wants to have that treat. As Luffy is very dumb, he asks for your help. Can you help him? :)

## Input

Input starts with an integer $\mathbf{T}(\mathbf{1 0})$, denoting the number of test cases. The first line of each case contains a string $S(1 \leq|S| \leq 100000)$. S contains only lowercase English letters. The next line contains an integer m ( $1 \leq m \leq 100000$ ). The following line contains $m$ space separated integers $K_{1}, K_{2}, \ldots, K_{m}\left(0 \leq K_{i} \leq 100000\right)$.

## Output

For each test case, print $m$ space separated integers (number of beautiful suffixes of $S$ considering $b=K_{i}$ ) in a single line. (Caution: Dataset is large. Use faster I/O. )

## Sample

## Input:

2
abcabcd
3
378
aaaaa
5
12345

## Output:

210
54321

