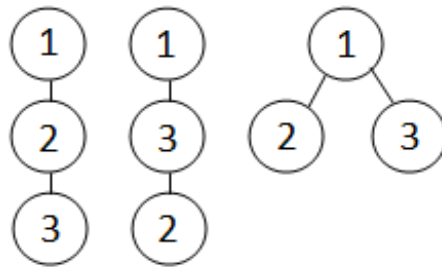


# Tree Topology

Given a rooted tree, a permutation of its nodes is valid if the following holds: for each pair of nodes **a** and **b**, if **a** is an ancestor of **b**, then **a** appears before **b** in the permutation. Let **P(t)** be the number of valid permutations for a tree **t**.

Given an integer **N**, you can construct all the possible trees of **N** nodes, numbered from 1 to **N**, **rooted at 1**. I'd like to know what's the sum of **P(t)** **for all t** that can be constructed for the given **N**.

**We consider two trees equal iff each node in the second tree has the same parent as it does in the first one.**



*The picture shows all the possible trees for  $N = 3$ .*

## Input

A single integer **N** ( $1 \leq N \leq 1000000$ ).

## Output

A single integer representing the solution modulo 1000000007.

## Example

**Input:**

3

**Output:**

4

**Explanation:** If you take a look at the picture, you'll see that the first two trees have one valid permutation each, and the third tree has two, namely  $\{ 1, 2, 3 \}$  and  $\{ 1, 3, 2 \}$ . The total is, of course, 4.