## Shrinking Polygons

A polygon is said to be inscribed in a circle when all its vertices lie on that circle. In this problem you will be given a polygon inscribed in a circle, and you must determine the minimum number of vertices that should be removed to transform the given polygon into a regular polygon, i.e., a polygon that is equiangular (all angles are congruent) and equilateral (all edges have the same length).

When you remove a vertex $v$ from a polygon you first remove the vertex and the edges connecting it to its adjacent vertices $w_{1}$ and $w_{2}$, and then create a new edge connecting $w_{1}$ and $w_{2}$. Figure (a) below illustrates a polygon inscribed in a circle, with ten vertices, and figure (b) shows a pentagon (regular polygon with five edges) formed by removing five vertices from the polygon in (a).


In this problem, we consider that any polygon must have at least three edges.

## Input

The input contains several test cases. The first line of a test case contains one integer $N$ indicating the number of vertices of the inscribed polygon ( $3 \leq N \leq 10^{4}$ ). The second line contains $N$ integers $X_{i}$ separated by single spaces ( $1 \leq X_{i} \leq 10^{3}$, for $0 \leq i \leq N-1$ ). Each $X_{i}$ represents the length of the arc defined in the inscribing circle, clockwise, by vertex $i$ and vertex $(i+1) \bmod N$. Remember that an arc is a segment of the circumference of a circle; do not mistake it for a chord, which is a line segment whose endpoints both lie on a circle.

The end of input is indicated by a line containing only one zero.

## Output

For each test case in the input, your program must print a single line, containing the minimum number of vertices that must be removed from the given polygon to form a regular polygon. If it is not possible to form a regular polygon, the line must contain only the value -1 .

## Example

## Input:

10402030301010502426

Output:
0
2
-1
5

