## Reverse the Sequence

This is a very ad-hoc problem. Consider a sequence ( $\mathrm{N}, \mathrm{N}-1, \ldots, 2,1$ ). You have to reverse it, that is, make it become ( $1,2, \ldots, N-1, N$ ). And how do you do this? By making operations of the following kind.

Writing three natural numbers $A, B, C$ such that $1 \leq A \leq B<C \leq N$ means that you are swapping the block (block = consecutive subsequence) of elements occupying positions A...B with the block of elements occupying positions B+1..C. Of course, the order of elements in a particular block does not change.

This means that you can pick any two adjacent blocks (each of an arbitrary length) and swap them. The problem can easily be solved in N-1 operations, but to make it more difficult, you must think of a faster way.

## Input

A natural number $1<\mathrm{N}<100$.

## Output

Output at most 50 operations, one per line. Each opearations is represented by three numbers as described above.

## Example

Input:
5
Output:
235
124
235
Explanation of the sample output: (54321) --> (5 21143 3) --> (14523) --> (1 2434 5)

