One X LIS

For a given sequence a[1], a[2], ... a[n], lets call a subsequence $a[k_1]$, ... $a[k_i]$... $a[k_m]$ (where $1 \le k_i \le n$ and $k_i \le k_{i+1}$) as **"one X increasing subsequence**" if there is exactly one i between 1 and m-1 (inclusive) for which $a[k_i] > a[k_{i+1}]$. Given a sequence find the length of the longest "one X increasing subsequence".

Input

First line contains t, which denotes the number of test cases. 2*T lines follow. Each test case is described using 2 lines.

First line of a test case contains an integer- n, which denotes the number of elements in the array.

Second lines contains n integers, which represent a[i] 1<=i<=n.

1<=t<=20

1<=n<=100000

1<=a[i]<=10^9

Output

For each test case, print one integer which represents the number of integers in the One X LIS. The output for each test case should be printed on a new line.

Example

Explanation:

In the first test case, the Longest Increasing Subsequence is 3.3.4 whereas the longest One X Subsequence is 4.3.3.4 whose length is 4.

In the second example, any two elements can be chosen to form the longest One X Subsequence, which gives us an answer of 2.