

Real Mangoes for Ranjith

Ranjith is very fond of mangoes. One fine sunny day, he goes to market to get some mangoes. In the market place, he finds N boxes (indexed from 1 to N), filled with mangoes kept in front of him. Each box indexed i is denoted by b_i and contains exactly i mangoes. The number of mangoes in b_i is denoted by m_i and $m_i = i$. Let t_i denotes the type of mangoes in box b_i (t_i is either "real" or "fake"). He can choose any box b_i ($i \leq N-2$), but he doesn't know if the box contains "real" mangoes or "fake" mangoes i.e. type of box b_i .

The type of mangoes in b_i depends on the number of mangoes in boxes b_i, b_{i+1}, b_{i+2} i.e. $\{m_i, m_{i+1}, m_{i+2}\}$. Mangoes in box b_i are "real" if for each pair of numbers taken from set $\{m_i, m_{i+1}, m_{i+2}\}$, Greatest common divisor(GCD) equals 1. Otherwise, "fake". Note that t_i is not defined for $i = N-1$ and $i = N$ and assumed to be "fake".

Given N , Ranjith wants to know the total number of "real" mangoes he will get from all boxes. As Ranjith cannot count beyond N , output the result modulo N .

Input

Test File starts with number of test cases - T ;

T lines follows, each containing N , number of boxes.

Output

Output T lines Number of "real" mangoes Ranjith gets (modulo N) in each one of the T cases.

Constraints

$2 < N \leq 10^8$

$T \leq 10000$

Example

Input:

2
9
5

Output:

7
4