## Fair bases

Consider integers N and K such that $2 \leq \mathrm{K} \leq \mathrm{N}$. Write all the numbers $0 \leq \mathrm{i}<\mathrm{N}$ in base K , adding leading zeros where necessary so that all the numbers are of equal length in base K. The score of an integer $i(0 \leq i<N)$ in the list is defined in the following fashion: Consider the first digit of $i$ in base K. Count the total number of times this digit occurs as first digit of some integer in the list. This is the score of the first digit of $i$. The number of times the second digit of $i$ appears as the second digit of some integer in the list is the score of the second digit of $i$, and so on. The sum of scores of all digits of $i$ is the score of $i$.

As an example, suppose $\mathrm{N}=4$ and $\mathrm{K}=3$. Then the numbers in the list are $00,01,02$ and 10 . Let us find the score of $i=00$. The first digit of $i$ appears as the first digit thrice $(00,01,02)$ and the second digit of $i$ appears as second digit twice $(00,10)$. Thus the score of 00 is $3+2=5$.

An integer $K(2 \leq K \leq N)$ is called a fair base of $N$ if the scores of all $i(0 \leq i<N)$ are equal for base $K$. The number of fair bases in the range $2 \leq K \leq N$ is termed the fairness factor of the integer $N$.

Given integers a and $\mathrm{b}\left(2 \leq \mathrm{a} \leq \mathrm{b} \leq 10^{12}\right)$, find the sum of fairness factors of all i such that $\mathrm{a} \leq \mathrm{i} \leq \mathrm{b}$.

## Input

The first line of input contains $T$, the number of test cases ( $T \leq 20$ ). Following these are $T$ lines, each containing two space separated integers $a$ and $b\left(2 \leq a \leq b \leq 10^{12}\right)$.

## Output

For each $(a, b)$ pair in the input, output the sum of fairness factors of i in the range $\mathrm{a} \leq \mathrm{i} \leq \mathrm{b}$.

## Example

Input:
2
48
2030
Output:
9
27

