

Identity crisis

For every given number n we define $x(n)$ as distance from n to the first number after n in form of $99\dots99$. For example $x(100)=899$, $x(45)=54$, etc. Given several n numbers you have to find the Z_p , where $x(n) \equiv n \pmod p$.

Input

First line of input contains one number T ($T < 20$) - the number of test cases. In each of the next T lines contains one number each to represent n ($0 < n < 30000000$).

Output

In each line you have to write one number - the least $p > 1$ that $x(n) \equiv n \pmod p$. If there is no such p the line should contain -1 .

Example

Input:

2

234

5

Output:

3

-1

Explanation:

$x(234)=765$. $765 \pmod 3=0$, $234 \pmod 3=0 \Rightarrow 765 \equiv 234 \pmod 3$