

# Your Rank is Pure

*Pontius:* You know, I like this number 127, I don't know why.

*Woland:* Well, that is an object so pure. You know the *prime numbers*.

*Pontius:* Surely I do. Those are the objects possessed by our ancient masters hundreds of years ago. Oh, yes, why then? 127 is indeed a prime number as I was told.

*Woland:* Not... only... that. 127 is the 31st prime number; then, 31 is itself a prime, it is the 11th; and 11 is the 5th; 5 is the 3rd; 3, you know, is the second; and finally 2 is the 1st.

*Pontius:* Heh, that is indeed... purely prime.

The game can be played on any subset  $S$  of positive integers. A number in  $S$  is considered pure with respect to  $S$  if, starting from it, you can continue taking its rank in  $S$ , and get a number that is also in  $S$ , until in finite steps you hit the number 1, which is not in  $S$ .

When  $n$  is given, in how many ways you can pick  $S$ , a subset of  $\{2, 3, \dots, n\}$ , so that  $n$  is pure, with respect to  $S$ ? The answer might be a big number, you need to output it modulo 100003.

## Input

The first line of the input gives the number of test cases,  $T$ .  $T$  lines follow. Each contains a single integer  $n$ .

## Output

For each test case, output one line containing "Case #x: y", where  $x$  is the case number (starting from 1) and  $y$  is the answer as described above.

## Limits

$T \leq 200$ .

$2 \leq n \leq 500$ .

## Sample

**Input:**

2  
5  
6

**Output:**

Case #1: 5  
Case #2: 8

(All problem statements, input data and contest analyses from google code jam are licensed under the [Creative Commons Attribution License](https://creativecommons.org/licenses/by/4.0/).)