

Fibonacci extraction Sum

Some people may found [FIBOSUM](#) a too easy problem. We propose here a useful variation.

$$\sum_{i=1}^N \text{Fib}(ki + c)$$

Fib is the Fibonacci sequence:

For any positive integer i : if $i < 2$ $\text{Fib}(i) = i$, else $\text{Fib}(i) = \text{Fib}(i-1) + \text{Fib}(i-2)$

Input

The first line of input contains an integer T , the number of test cases.

On each of the next T lines, you are given three integers c, k, N .

Output

Print $\text{Sum}(\text{Fib}(ki+c)$ for i in $[1..N]$).

As the answer could not fit in a 64-bit container, just output your answer modulo 1000000007.

Example

Input:

```
1
3 5 2
```

Output:

```
254
```

Explanations

Index-1 Fib sequence : 1, 1, 2, 3, 5, 8, 13, **21**, 34, 55, 89, 144, **233**, 377, 610, 987, ...

We want the $5*1+3 = 8^{\text{th}}$ and $5*2+3 = 13^{\text{th}}$ ones, thus the answer is $21 + 233 = 254$.

Constraints

$0 < T \leq 60606$

$0 \leq c < k \leq 2^{15}$

$0 < N \leq 10^{18}$

The numbers c, k, N are uniform randomly chosen in their range.

For your information, constraints allow 1.3kB of Python3 code to get AC in 0.30s, it could be hard.

A fast C-code can get AC around 0.01s. (Timing edited 2017-02-11, after compiler changes)

Warning: Here is Cube cluster, you can try the [classical edition](#) (clone with Pyramid cluster).

Have fun ;-)