## Totient Game

Bahl and Debnath are always looking up for new exciting games on the internet. Yesterday, Bahl stumbled across a new game known as "Totient Game". He immediately showed that to Debnath. They found it pretty exciting and decided to play it. The game is as follows:

1. The game is played with N piles of stones.
2. 2 players play alternatively and at each turn a player selects a pile and divides it into two unequal sized piles "i" and " j " such that Totient( i$)^{*}$ Totient $(\mathrm{j})=$ Totient $\left(\mathrm{i}^{*} \mathrm{j}\right)$ and $\mathrm{i}+\mathrm{j}=$ no. of stones in that pile.
3. The player who is unable to make a move loses the game.

Bahl insists on starting the game first. Can you predict the winner of the game? Assume that both player plays optimally.

## http://en.wikipedia.org/wiki/Euler\%27s totient function

## Input

First line gives T , the number of test cases.
Each test starts with a line containing " N ", the number of piles.
Next line gives N space separated integers. The $\mathrm{i}^{\text {th }}$ integer represents the number of stones in the $\mathrm{i}^{\text {th }}$ pile.

## Output

Output T lines each containing the winner of the T games. Output "Bahl" if Bahl wins the game or "Debnath" if Debnath wins the game.

## Constraints

$1<=$ T<=10
$1<=\mathrm{N}<=10^{\wedge} 5$
$1<=$ No. of stones in each pile $<=10^{\wedge} 7$

## Example

Input:
1
3
123

## Output:

Bahl

