

# The Long Pile Game

Alice and Bob playing the following game.

They choose two different positive integers  $K$  and  $L$ , and start the game with a tower of  $N$  coins. Alice always plays first, Bob – second, after that – Alice again, then Bob, and so on. They in turn can take 1,  $K$  or  $L$  coins from the tower.

The winner is who takes the last coin (or coins).

After a long, long playing, Alice realizes that there are cases in which he could win, no matter how Bob plays. And in all other cases Bob being careful can win, no matter how Alice plays.

Given  $N, K, L$  predict if Alice can win if both play optimally.

**Constraints :**

$$1 \leq K \leq 20$$

$$1 \leq L \leq 20$$

$$1 \leq N \leq 1000000000$$

$$T \leq 10^5$$

## Input

First line contains  $T$ - number of cases

Next  $T$  lines each contain 3 integer  $K, L, N$

## Output

For each case print “Alice” (without quotes) if alice can can otherwise print “Bob” without quotes.

## Example

**Input:**

5

5 4 8

1 3 9

4 3 10

1 1 5

1 5 6

**Output:**

Bob

Alice

Alice

Alice

Bob

