

COMPRESSED WORDS-2

Helen has come up with a way to shorten the length of the messages send to their counterparts in the past. Helen considers only individual words, and uses the following rules to define a "shortened word":

1. a single, lower-case letter is a compressed word
2. $(e_1 e_2 \dots e_t n)$ where t and n are non-negative integers and e_j is a compressed word.

You should observe that a compressed word of one character is the same as an uncompressed word. To uncompress the compressed word $(e_1 e_2 \dots e_t n)$ we uncompress each e_j , concatenate those uncompressed words into a new word, and repeatedly concatenate that word n times. For example:

- a would be uncompressed as a,
- (a 3) would be uncompressed as aaa,
- (a (b c d 2) 3) would be uncompressed as abcdbcdabcbcdabcbcd.

Write a program to uncompress a compressed word.

Input

First line T i.e number of testcases(=12).Next T lines contain correctly formed **Regular Expressions**.

Output

For each case print in new line the uncompressed word **without spaces**.

Example

Input:

3

a

(a 3)

(a (b c d 2) 3)

Output:

a

aaa

abcdbcdabcbcdabcbcd

Constraints: $0 < n \leq 10000$, $1 \leq t \leq 26$,

length of expressions will be less than 100 consisting of characters(a-z) and numbers.

Note:There may or may not be more than one spaces between brackets and alphabets

or number.for eg (a),(a3),(a 3) are all correct expressions.