

# Camels

Bob likes to draw camels: with a single hump, two humps, three humps, etc. He draws a camel by connecting points on a coordinate plane. Now he's drawing camels with  $t$  humps, representing them as polylines in the plane. Each polyline consists of  $n$  vertices with coordinates  $(x_1, y_1)$ ,  $(x_2, y_2)$ , ...,  $(x_n, y_n)$ . The first vertex has a coordinate  $x_1 = 1$ , the second—  $x_2 = 2$ , etc. Coordinates  $y_i$  might be any, but should satisfy the following conditions:

- there should be  $t$  humps precisely, i.e. such indexes  $j$  ( $2 \leq j \leq n - 1$ ), so that  $y_{j-1} < y_j > y_{j+1}$ ,
- there should be precisely  $t - 1$  such indexes  $j$  ( $2 \leq j \leq n - 1$ ), so that  $y_{j-1} > y_j < y_{j+1}$ ,
- no segment of a polyline should be parallel to the  $Ox$ -axis,
- all  $y_i$  are integers between 1 and 4.

For a series of his drawings of camels with  $t$  humps Bob wants to buy a notebook, but he doesn't know how many pages he will need. Output the amount of different polylines that can be drawn to represent camels with  $t$  humps for a given number  $n$ .

## Input

The first line of input contains the number of testcases ,  $N_{test}$ .

Each testcase contains a pair of integers  $n$  and  $t$  ( $3 \leq n \leq 20$ ,  $1 \leq t \leq 10$ ).

## Output

For each testcase , output the required amount of camels with  $t$  humps.

## Example

**Input:**

1

6 1

**Output:**

6

## Note

In the first sample test sequences of  $y$ -coordinates for six camels are: 123421, 123431, 123432, 124321, 134321 и 234321 (each digit corresponds to one value of  $y_j$ ).