## Colors

Given a Bipartite graph with N nodes, you have to colour each node in a way such that no two adjacent nodes have the same colour. Each node is allowed to choose colour from a subset of colours. print the possible number of ways.
You are given a symmetric matrix i.e. matrix[i][j] is always equal to matrix[j][i]
if matrix[i][j]=='Y' then nodes $i$ and $j$ are connected by an edge matrix[i][j]=='N' then nodes $i$ and $j$ are not connected

## Input

T -number of test cases ( N test cases follow )
N -number of nodes in graph . N lines corresponding to matrix
N line follows : each line contains xi -- total colours ith node can take , followed by i colours

## Output

Print the possible number of ways to colour the graph

T would be less than 20
$0<=\mathrm{N}$ <= 13
size of matrix will be $\mathrm{N}^{*} \mathrm{~N}$
each element of matrix would be either ' Y ' or ' N '
number of colours a node can take would be greater then equal to 0 and less than equal to 8 colour number would be less than 100000

## Example

## Input

1

4

NYNN
YNNN
NNNY
NNYN
3123

245
3456
3123

## Output

54

