

Coding

A binary code for an alphabet of 2^N symbols is a bijection between the 2^N symbols and 2^N binary codewords. For example, in the table below 3 different binary codes are presented for a 4-symbol alphabet (a,b,c,d).

Symbol	Code 1	Code 2	Code 3
a	00	0	1
b	01	10	10
c	10	110	100
d	11	111	1000

A code is said to be prefix-free if none of the codewords is a prefix of another codeword. For example, in the table above, codes 1 and 2 are prefix-free. However, code 3 is not prefix-free. Prefix-free codes are widely used, as encoding and decoding becomes very simple.

For this problem, given N and a message containing M alphabet symbols, the task is to find a prefix-free code for the entire alphabet (including symbols possibly not present in the message) that minimizes the number of necessary bits to represent the message. For example, let $N=2$, with symbols (a,b,c,d), and the message "a a a a b b b b a a a c c d d"

The message encoded with codes 1 and 2 above becomes, respectively:

- 00 00 00 00 01 01 01 01 00 00 00 00 10 10 11 11, for a total of 32 bits.
- 0 0 0 0 10 10 10 10 0 0 0 0 110 110 111 111, for a total of 28 bits.

It is possible to show that no prefix-free code can encode the message above in less than 28 bits.

Input

The input contains several test cases. Each test case has two lines. The first line of a test case contains two integers N , M separated by a single space ($1 \leq N \leq 15$, $1 \leq M \leq 106$, $D \leq 15$).

On the second line are M integers X_i , $0 \leq X_i \leq 2^N - 1$, representing the message to be encoded. The end of the input is marked by a case with $N=M=0$. This case must not be processed.

Output

For each test case, print a single line with one integer, the minimum number of bits necessary to encode the message using a prefix-free code.

Example

Input:

```
2 16
0 0 0 0 1 1 1 1 0 0 0 0 2 2 3 3
0 0
```

Output:

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28
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