

# Barn Allocation

Farmer John recently opened up a new barn and is now accepting stall allocation requests from the cows since some of the stalls have a better view of the pastures.

The barn comprises  $N$  ( $1 \leq N \leq 100,000$ ) stalls conveniently numbered  $1..N$ ; stall  $i$  has capacity  $C_i$  cows ( $1 \leq C_i \leq 100,000$ ). Cow  $i$  may request a contiguous interval of stalls ( $A_i, B_i$ ) in which to roam ( $1 \leq A_i \leq N$ ;  $A_i \leq B_i \leq N$ ), i.e., the cow would like to wander among all the stalls in the range  $A_i..B_i$  (and the stalls must always have the capacity for her to wander).

Given  $M$  ( $1 \leq M \leq 100,000$ ) stall requests, determine the maximum number of them that can be satisfied without exceeding stall capacities.

Consider both a barn with 5 stalls that have the capacities shown and a set cow requests:

```
Stall id:  1  2  3  4  5
           +---+---+---+---+---+
Capacity: | 1 | 3 | 2 | 1 | 3 |
           +---+---+---+---+
Cow 1     XXXXXXXXXXXXX      (1, 3)
Cow 2     XXXXXXXXXXXXXXXXX  (2, 5)
Cow 3     XXXXXXXX          (2, 3)
Cow 4     XXXXXXXX          (4, 5)
```

FJ can't satisfy all four cows, since there are too many requests for stalls 3 and 4.

Noting that Cow 2 requests an interval that includes stalls 3 and 4, we test the hypothesis that cows 1, 3, and 4 can have their requested stalls. No capacity is exceeded, so the answer for this set of data is 3 -- three cows (1, 3, and 4) can have their requests satisfied.

## Input

\* Line 1: Two space-separated integers:  $N$  and  $M$

\* Lines  $2..N+1$ : Line  $i+1$  contains a single integer:  $C_i$

\* Lines  $N+2..N+M+1$ : Line  $i+N+1$  contains two integers:  $A_i$  and  $B_i$

## Output

\* Line 1: The maximum number of requests that can be satisfied

## Example

**Input:**

5 4

1

3

2

1

3

1 3

2 5

2 3

4 5

**Output:**

3